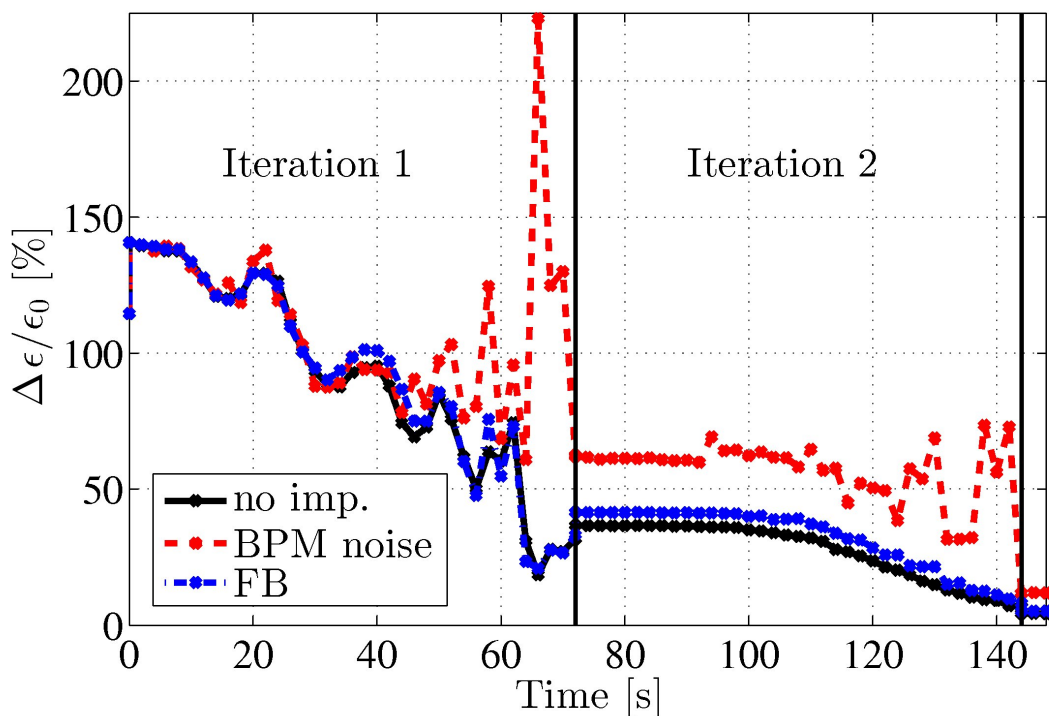


Imperfection tolerances for on-line dispersion free steering in the main linac of CLIC

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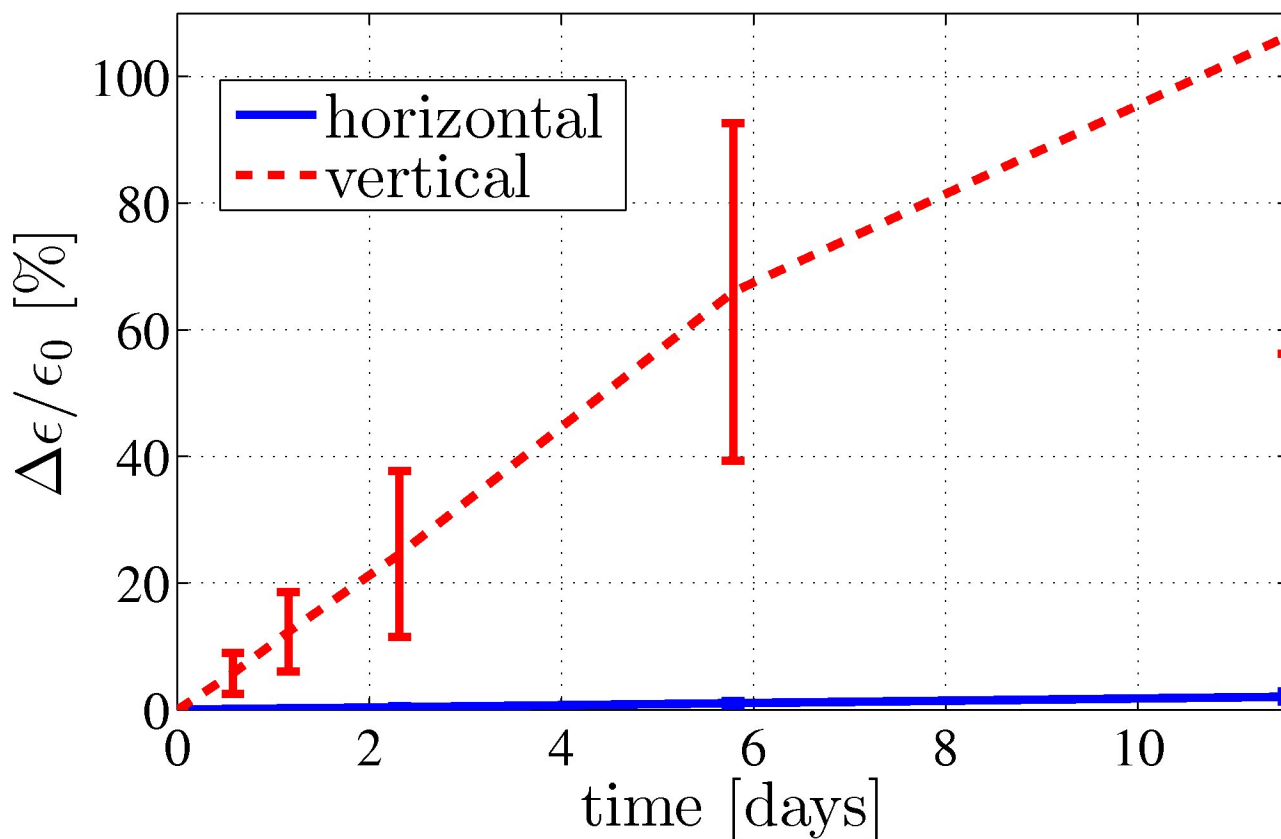
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1. Introduction

Long-term ground motion in the main linac



Start from
perfectly
aligned
machine

ATL motion
and 1-2-1
correction
applied

$\epsilon_x = 600\text{nm}$

$\epsilon_y = 10\text{nm}$

10 samples

On-line DFS

Long-term ground motion effects

- BPMs gets misaligned by ground motion
- ATL model used
- Orbit feedback steers in centres of BPMs
- New orbit is not optimal and results in emittance increase
- Problem is **chromatic dilutions due to dispersion**

Strategy: On-line DFS

- **Additionally to orbit feedback that corrects orbit -> second system that corrects on-line the dispersion**
- Dispersion Free Steering algorithm (**DFS**) can be used, but has to be modified for continuous operation
- Main problem calculation of the dispersion

2. On-line DFS algorithm

Dispersion Free Steering (DFS)

DFS algorithm consists of 2 steps:

1. Dispersion measurement:

The dispersion η at the BPMs is measured by varying the beam energy.

2. Dispersion correction:

Corrector actuation θ are calculated such that at the same time the measured dispersion η as well as the beam orbit b are corrected. The corrections are calculated by solving the linear system of equations:

$$\begin{bmatrix} b - b_0 \\ \omega(\eta - \eta_0) \\ 0 \end{bmatrix} = \begin{bmatrix} R \\ \omega D \\ \beta I \end{bmatrix} \theta$$

DFS is usually applied to overlapping sections of the accelerator (for this simulations: 36 sections with full overlap).

Dispersion Estimation

- **Problem:** Only very small beam energy variations can be accepted
- For studies **only 0.5 per mil** are used: initial beam energy and gradient var.
- Measurement are strongly influenced by BPM noise and usual energy jitter. Therefore, many measurement have to be used and averaged.
- Use of a **Least Squares estimate** (pseudo-inverse), which can be significantly simplified by the choice of the excitation:

$$\eta_N = (\mathbf{E}^T \mathbf{E})^{-1} \mathbf{E} \mathbf{b} = \frac{T_N}{N \Delta E} \quad \text{with}$$

$$\mathbf{E} = \begin{bmatrix} -\Delta E \\ +\Delta E \\ \dots \\ -\Delta E \\ +\Delta E \end{bmatrix} \quad \text{and} \quad T_N = \sum_{i=1}^N (-1)^i b_i$$

- Choice of \mathbf{E} is also of advantage for the interaction with the orbit feedback.

Wakefields

- **Observation:** When no noise sources are considered:
 - 1.) DFS works better with larger induced energy change (e.g. 10%). It should work better for energy change in the order of the beam energy spread.
 - 2.) Results for small energy changes get better with 2 or 3 iterations where always a cavity alignment is included.
 - 3.) Fast convergence if an initial cavity alignment is performed.

- **Guess:**

For very small energy variations the dispersive orbit is very small and wakefield effects can perturb the measurement.

-> Therefore always an initial cavity alignment is performed.

Other on-line issues

Integration with orbit feedback:

- Orbit feedback will “see” the orbit changes due to the energy variation and will react on them
- This will influence the estimation result
- To **decouple the two systems**: Energy excitation is chosen to be a constant value with alternating sign.
- Highest frequency for the orbit controller, which will damp this frequency strongly.

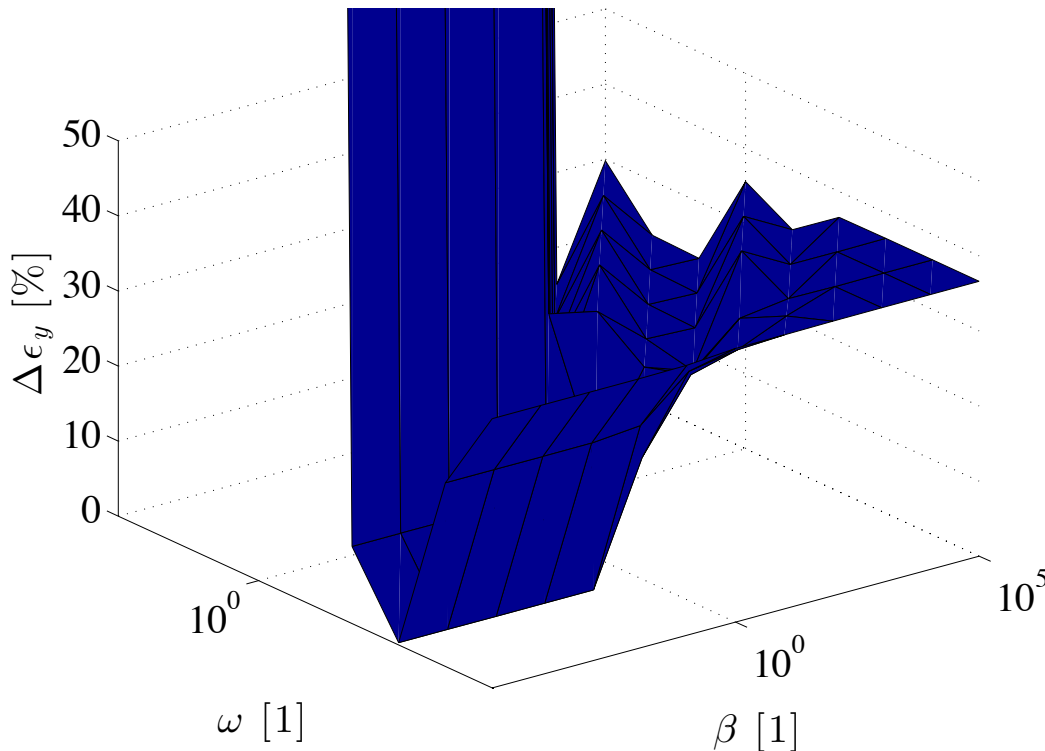
Steering correction:

- After moving the QPs due to DFS **the BPMs have to be “moved”** to the new reference orbit. Otherwise the OFB steers beam back.
- **DFS correction in a bin will create beam oscillations downstream**
- These oscillations have to be damped by correctors downstream
- The use of only the next correctors in the bin for all2all-steering is sufficient:

$$-\begin{bmatrix} \hat{b} \\ 0 \end{bmatrix} = \begin{bmatrix} \hat{R} \\ \beta_0 I \end{bmatrix} \hat{\theta}$$

3. Results

Parameter choice



- Weight ω not chosen as a constant, but as

$$\Omega = \text{diag} \left(\sqrt{\frac{\sigma_{BPM}^2 + \sigma_{off}^2}{2\sigma_{BPM}^2}} \right) \omega$$

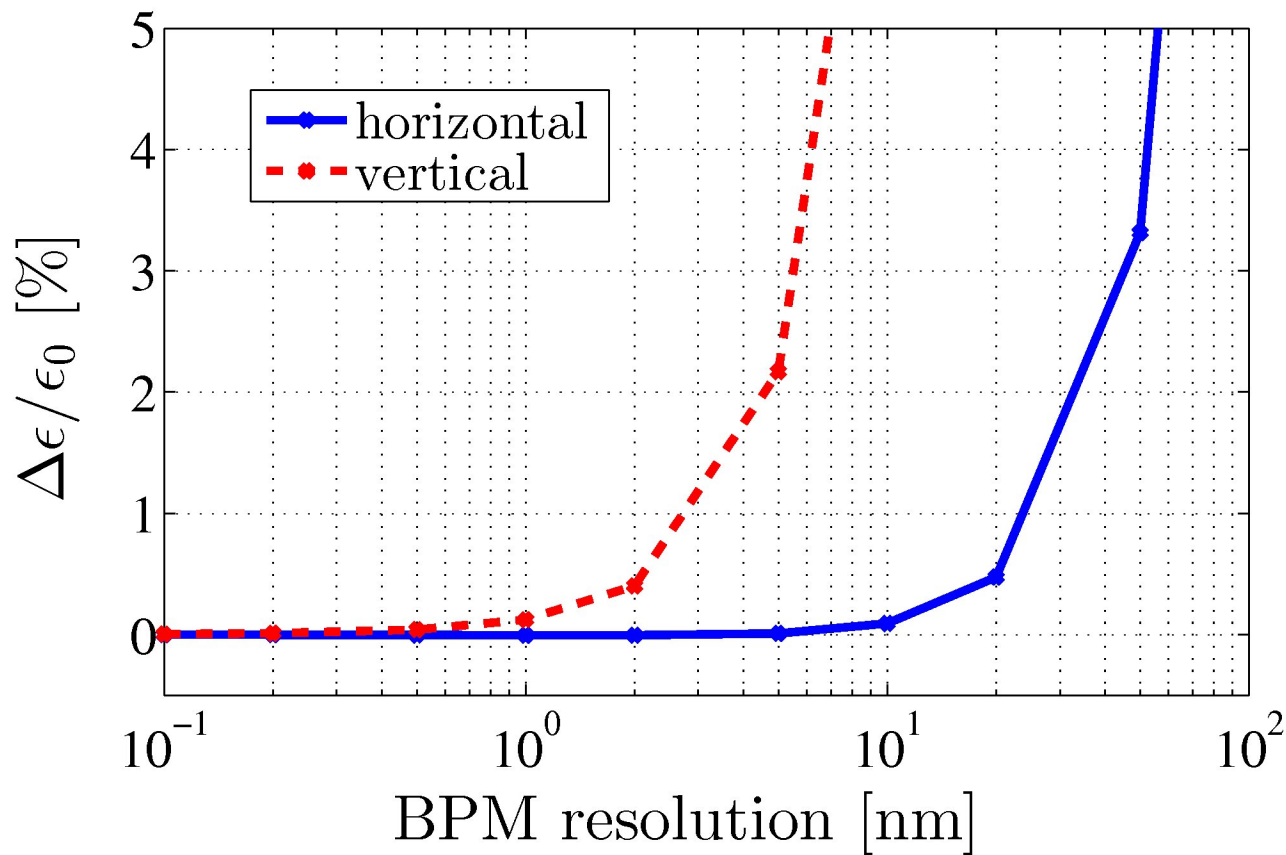
$$\sigma_{off}^2 = AT \Delta L_{BPM}$$

- Parameter scan over ω and β for different seeds and with some imperfections:

$$\omega = 10^{-2}$$

$$\beta = 10^{-3}$$

Necessary averaging time



Not full estim. but
only real dispersion
is disturbed by
noise.

For $\Delta\epsilon_y < 2\%$ ->

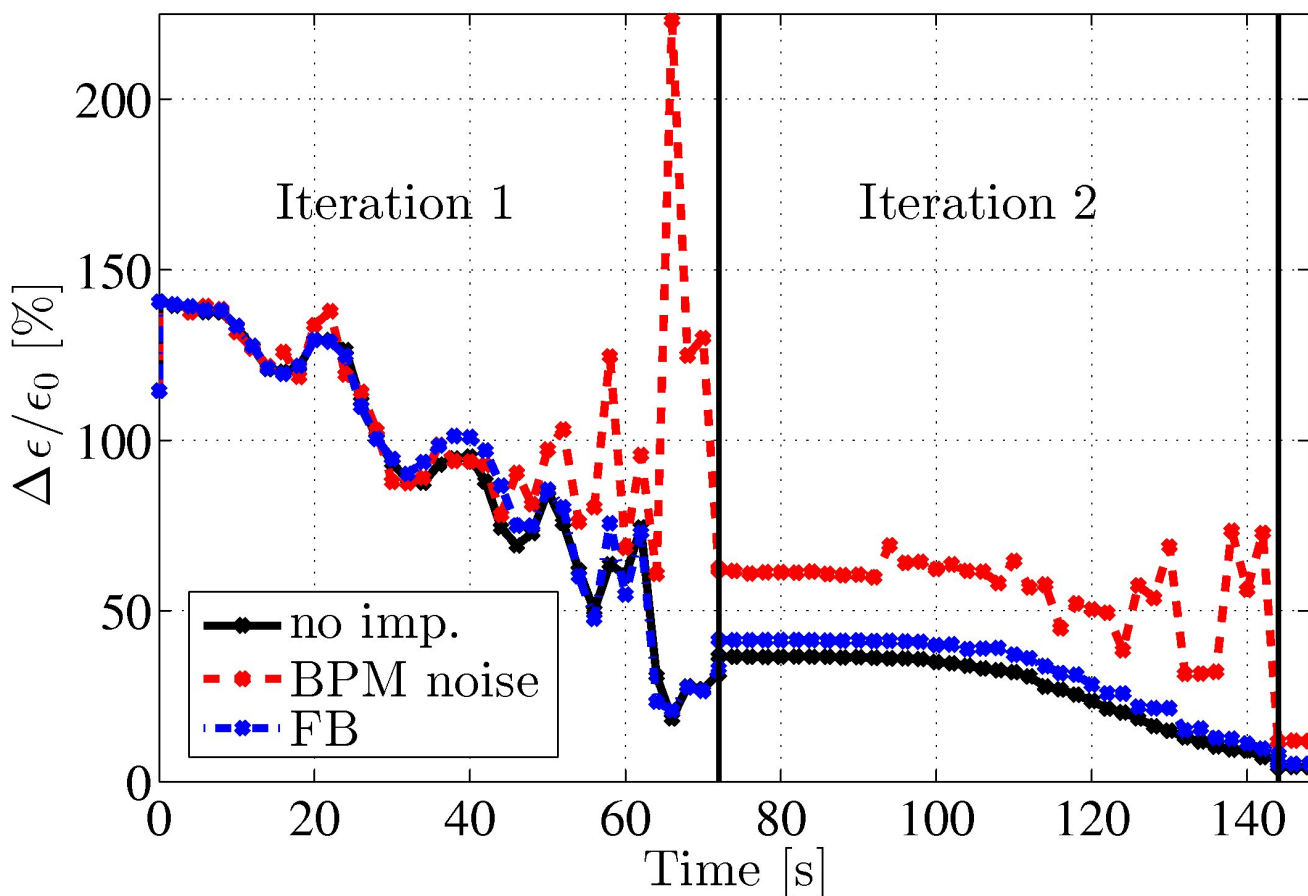
$\sigma_{BPM} < 5\text{nm}$ ->

Reduction of 20 ->

$N = 400$ ->

$T = 0.02 \cdot 400 \cdot 36 \cdot 2$
 $\approx 10\text{min}$

Typical correction



Full estimation
simulations for one
seed

Reduced estimation
time to speed up
simulations: only
 $N = 100 \rightarrow$
 $T \approx 2\text{min}$

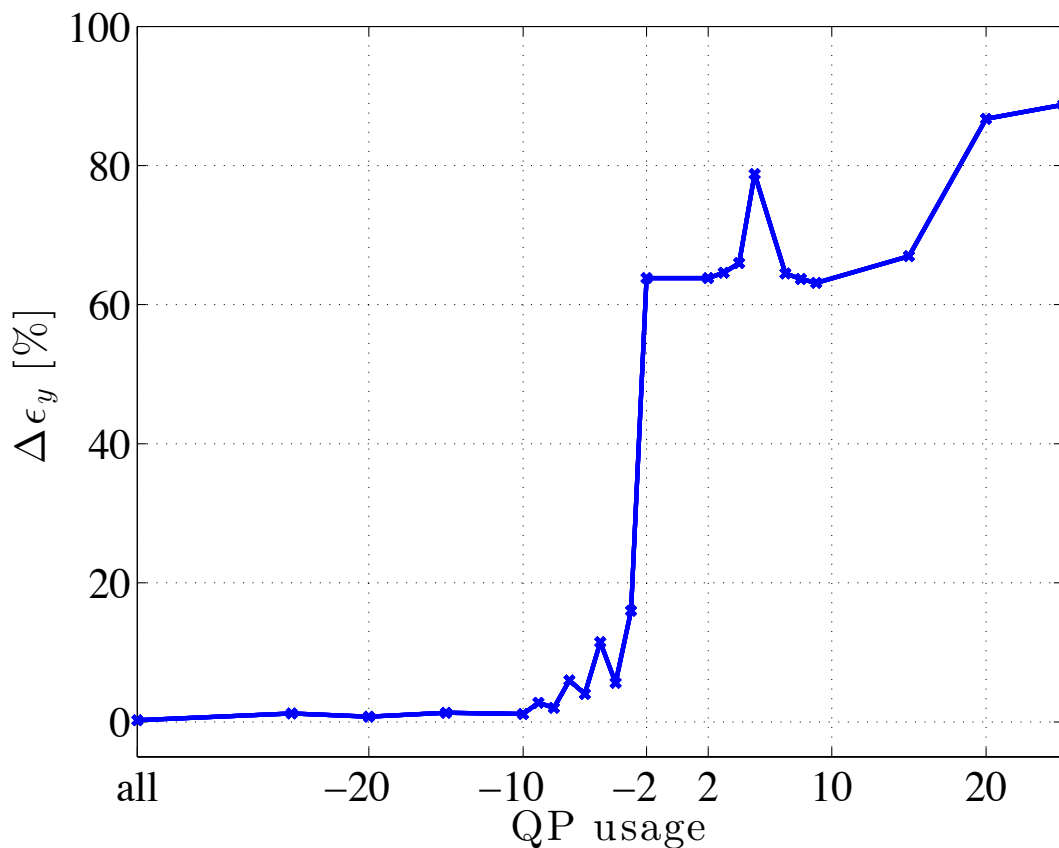
$\sigma_{BPM} = 100\text{nm}$

No imp: 4%
FB : 5%
BPM noise: 12%

Averaged results and imperfections

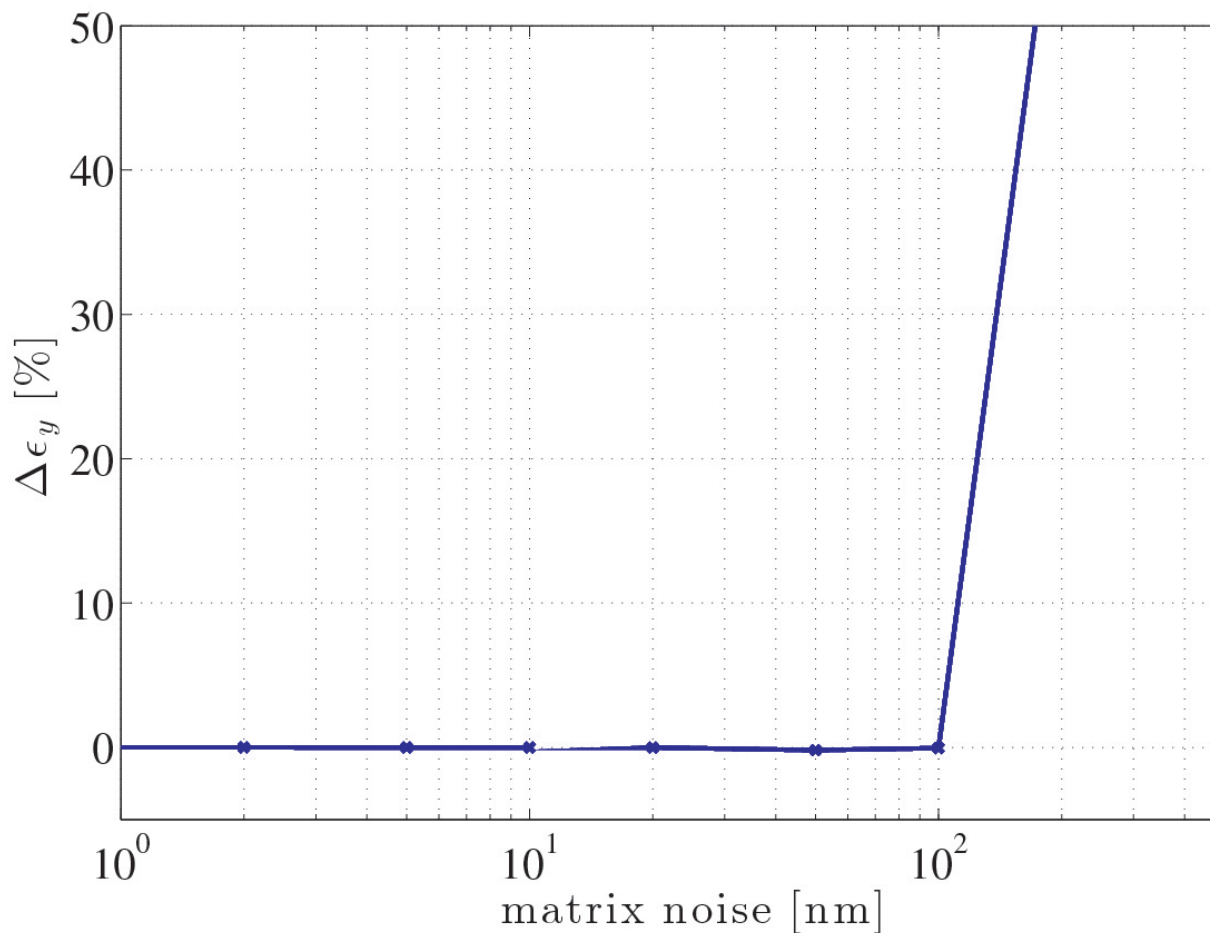
- **Averaged results** of full simulations (20 seeds) with $N = 100$ and 2 iterations:
 - About 11 days of CLIC ATL motion -> 1-2-1 steering -> 107%
 - No imperfections: 2.8%
 - With OFB on: 3.7%
 - BPM noise: 10.4% (no controller)
- **Other tested imperfections:**
 - [Short-term ground motion](#) (model B) with dispersion simulations: very small effect.
 - [Jitter of acceleration gradient](#) (per decelerator): only small effect up to the maximal specification of 0.5%.

Use of less correctors



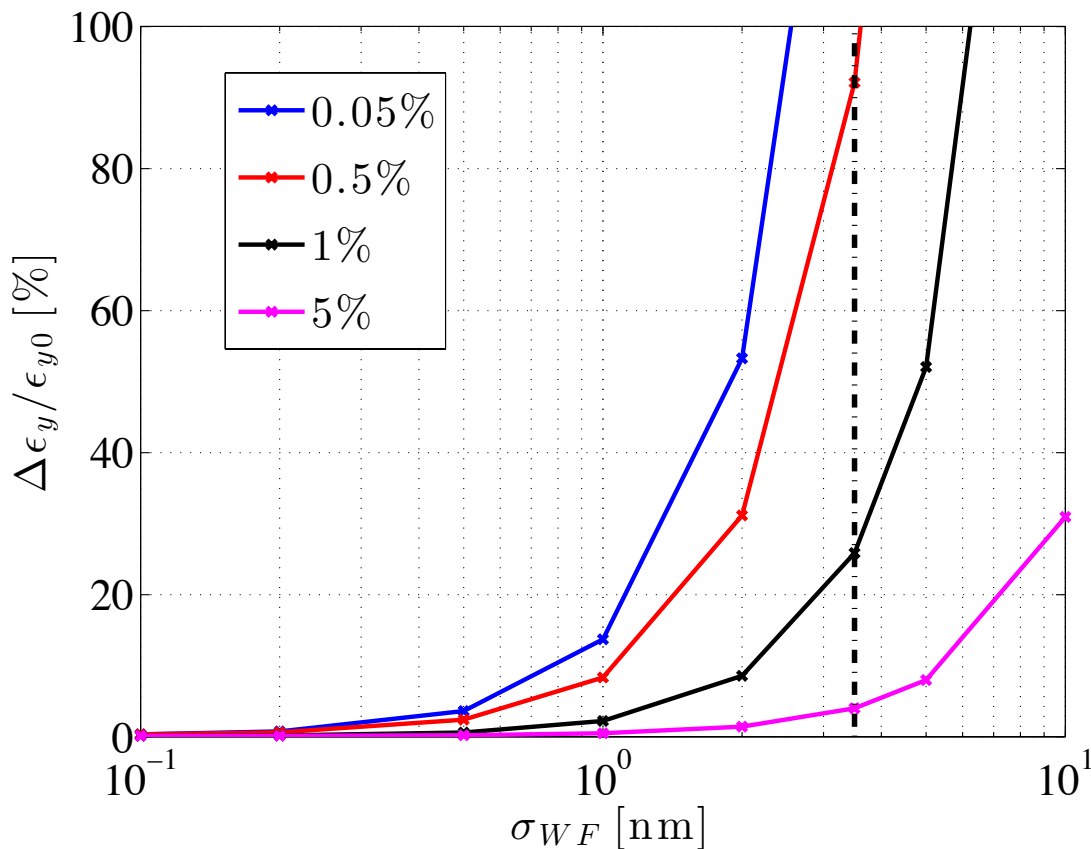
- Pos. numbers on x-axis correspond to using each n^{th} corrector.
- Neg. numbers on x-axis correspond to leaving out each n^{th} corrector.
- Averaged over 10 seeds. Behaviour between different seed varies strongly
- Reduction of a factor 2 causes already strong performance loss

Noise in DFS matrices



- Artificial noise in the matrices used for the DFS
- Averaged over 5 seeds
- Result stays the same for noise below 100nm

Resolution of wakefield monitors



- Very high sensitivity to wakefields
- Algorithm has to made more robust
- We have tried:
 - recalculation of R
 - shorter Bins
 - parameter scan
 - no smoothing

-> nothing helped

-> open issue

Is it the same with usual DFS?

4. Conclusions

- In general, on-line DFS seems to be capable of correcting chromatic dilutions
- Corrections are applied in a parasitic way with an **energy change of 0.5 per mil**.
- It is not necessary to operate all the time, but just to switch on the corrections for a few iterations.
- The time necessary to correct the chromatic dilutions **below 5% emittance growth** is about **10 minutes (2 iterations)** not including the time for 3 cavity alignments.
- Full-scale simulations performed with reduced estimation time show that the algorithm can correct the dispersion to the expected level.
- The **influence of the orbit controller (without noise), energy jitter and short-term ground motion seems to be small** or even negligible.
- **But a high sensitivity with respect to wake field has to be resolved!!!**

Thank you for your attention!